## Conics Summary

Conic Section	Standard Form	Other Info.
Circle	$(x-h)^2 + (y-k)^2 = r^2$	Derived from the distance
Centre $(h,k)$		formula.
Radius <i>r</i>		
Parabola - Vertex $(h,k)$	2	n > 0 on one un
Focus $(h, k + p)$	$(x-h)^2 = 4p(y-k)$	p > 0 opens up,
Directrix at $y = k - p$		p < 0 opens down
Foci $(h + p, k)$	(- 1)2 (- 1)	p > 0 opens right,
Directrix at $x = h - p$	$(y-k)^2 = 4p(x-h)$	
	DA DA	p < 0 opens left  The longer axis is called the
• Ellipse - Centre $(h,k)$	$(x, b)^2$ $(x, b)^2$	major axis, the shorter axis is
<ul> <li>Horizontal major axis: a &gt; b</li> </ul>	$\frac{(x-h)^2}{a^2} + \frac{(y-k)^2}{b^2} = 1$	called the minor axis.
Vertices: $(h \pm a, k)$	$a^2$ $b^2$	'a' is the distance from the centre to each vertex (the end
Foci: $(h \pm c, k)$		of the major axis).
1 con: (n = c, n)	$(x-h)^2$ $(y-k)^2$ 1	• 'b' is the distance from the
<ul> <li>Vertical major axis: a &gt; b</li> </ul>	$\frac{(x-h)^2}{b^2} + \frac{(y-k)^2}{a^2} = 1$	centre to the end of the minor axis.
V-1 - (1-1-1-)		• 'c' is the distance from the
Vertices: $(h, k \pm a)$		centre to each focus.
Foci: $(h, k \pm c)$		$c^2 = a^2 - b^2$
		<ul> <li>Length of major axis = 2a</li> <li>Length of minor axis = 2b</li> </ul>
		• Length of millor axis = 2b
• Hyperbola - Centre (h, k)	Y	• 'a' is the distance from the
	MEDADI	centre to each vertex.  • 'b' is a point on the conjugate
Horizontal transverse axis     (x as officient is positive)	$\frac{(x-h)^2}{-\frac{(y-k)^2}{-1}} = 1$	axis but is not a point on the
(x coefficient is positive) Vertices: $(h \pm a, k)$	$\frac{a^2}{b^2} = 1$	hyperbola (it helps determine
Foci: $(h \pm c, k)$		asymptotes)  'c' is the distance from the
, , , , , , , , , , , , , , , , , , , ,		centre to each focus.
Asymptote: $y-k=\pm\frac{b}{a}(x-h)$		$c^2 = a^2 + b^2$
a		
		N.B. The transverse axis is
Vertical transverse axis     (vecefficient is positive)	$\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$	not necessarily the longer axis but is associated with
(y coefficient is positive) Vertices: $(h, k \pm a)$	$\begin{vmatrix} a^2 & b^2 \end{vmatrix}$	whichever variable is positive.
Foci: $(h, k \pm c)$		
Asymptote : $y-k = \pm \frac{a}{b}(x-h)$		